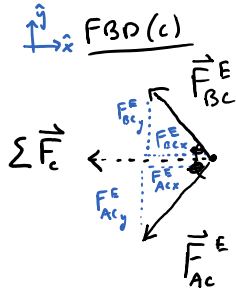


Week 5 Quiz

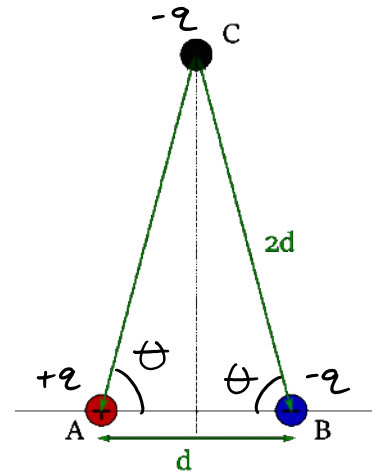
Friday, April 30, 2021 10:29 AM

Two point charges (**A** and **B**) of equal magnitude, q , and opposite sign are separated by a distance d from each other. A third point charge (**C**) of equal magnitude is placed a distance $2d$ from each charge A and B, and rests along a vertical line that is halfway between charges **A** and **B**. The net force acting on charge **C** is found to have only a horizontal component, pointing to the left. The only forces acting on charge **C** are electric forces (i.e. ignore gravity etc.). Note: Charge **A** is positive, charge **B** is negative and $k = 8.99 \times 10^9 \text{ N}\cdot\text{m}^2/\text{C}^2$

(a) What is the sign of charge **C**? Explain.



C must be negative so that it is attracted to A & repelled by B. If it was positive the net force would be to the right.

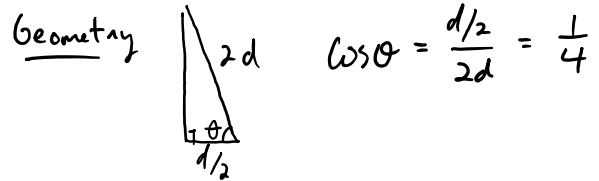


(b) Calculate the magnitude of net force acting on charge **C** if $d = 0.500$ meters, and $q = 30.0 \mu\text{C}$.

w/ $|q_A| = |q_B| = |q_C|$ & $|\Delta\vec{r}_{Ac}| = |\Delta\vec{r}_{Bc}|$, $|\vec{F}_{Ac}^E| = |\vec{F}_{Bc}^E|$

$$|\vec{F}_{Ac}^E| = \frac{k|q_A||q_C|}{|\Delta\vec{r}_{Ac}|^2} = \frac{kq^2}{(2d)^2}, \quad F_{Ac_x}^E = -|\vec{F}_{Ac}^E| \cos\theta = F_{Bc_x}^E \Rightarrow \Sigma F_x = -2|\vec{F}_{Ac}^E| \cos\theta$$

$$F_{Ac_y}^E = -F_{Bc_y}^E \Rightarrow \Sigma F_y = 0$$



$$\text{so, } \Sigma \vec{F} = \left\langle -\frac{kq^2}{8d^2}, 0 \right\rangle$$

$$|\Sigma \vec{F}| = \frac{kq^2}{8d^2} = \boxed{4.05 \text{ N}}$$

Rubric

~~ Part (a) ~~	~~ Part (b) ~~
0.5 pts - correct answer	1 pt - FBD
1.5 pts - reasoning	1 pt - Coulomb force equation
	1 pt - Finding mag of one force
	1.5 pt - Finding force vector component
	1 pt - Geometry for theta
	1 pt - net force in the x-direction
	1 pt - net force in the y-direction
	0.5 pt - Correct answer and units