

(1H.L3.1) Familiarize Stage

Thursday, March 29, 2018 8:34 PM

1st Law and Heat (1H)

Familiarize Stage:

Pre-lecture 3: Conduction, Convection, Radiation

Reading

1. Read

Lecture Videos

1. Watch

Example Problems

1. Watch

Simulations

1. Sim

Other Suggested Content

1. Check out

Practice

1. Try

Homework

1H.L3.1-01

Description: heat transfer concept

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: What kind of heat transfer requires no medium?

(1) Conduction

(2) Convection

(3) Reflection

(4) Radiation

Answer: (4)

1H.L3.1-02

Description: Understanding heat transfer and the three ways to do so

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: What is conduction?

(1) Conduction is the transfer of energy by heat by means of the motion of fluids at different temperatures and with different densities.

(2) Conduction is heat transfer through direct physical contact between any two substances.

(3) Conduction is heat transfer by means of electromagnetic waves.

(4) Conduction is heat transfer without any direct physical contact between any two substances.

Answer: (2)

1H.L3.1-03

Description: Understanding heat transfer and the three ways to do so

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: What is convection?

- | |
|---|
| (1) Convection is the transfer of energy through electromagnetic waves. |
| (2) Convection is the transfer of energy through the movement of neutrons. |
| (3) Convection is the transfer of energy through the vibration of particles in a substance. |
| (4) Convection is the transfer of energy through the movement of a fluid. |

Answer: (4)

1H.L3.1-04

Description: Infographic quiz thermal conduction - label matching

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: Match each term in the equation with the correct description from the following list. (1) Distance between hot and cold reservoir, (2) Thermal conductivity, (3) Change in temperature, (4) Heat, (5) Change in time, (6) Cross-sectional area

$$\frac{Q}{\Delta t} = \frac{kA}{L} \Delta T$$

The diagram shows the equation $\frac{Q}{\Delta t} = \frac{kA}{L} \Delta T$. Arrows point from labels (a) through (e) to the variables: (a) points to Q , (b) points to kA , (c) points to A , (d) points to Δt , and (e) points to L . The variable ΔT is also labeled with (e) at the bottom right.

Answer: (a) Heat, (b) Thermal conductivity, (c) Cross-sectional area, (d) Change in time, (e) Distance between the hot and cold reservoirs, (e) Change in temperature

1H.L3.1-05

Description: Infographic quiz thermal radiation - label matching

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: Match each term in the equation with the correct description from the following list. (1) Temperature of the object, (2) Change in time, (3) Heat from the object to the environment, (4) Emissivity, (5) Surface area, (6) Stefan-Boltzmann's constant

$$Q_{out} = \epsilon \sigma A T^4$$

The diagram shows the equation $Q_{out} = \epsilon \sigma A T^4$. Arrows point from labels (a) through (c) to the variables: (a) points to Q_{out} , (b) points to ϵ , and (c) points to A .

$$\frac{\Delta t}{\epsilon \sigma A T^4}$$

(d) points to Δt , (e) points to ϵ , (f) points to T

Answer: (a) Heat from the object to the environment, (b) Emissivity, (c) Temperature of the object, (d) Change in time, (e) Stefan-Boltzmann's constant, (f) Surface area

1H.L3.1-06

Description: Proportional reasoning of radiation

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: Consider the radiation of a sphere at some temperature T in Kelvin. If the temperature of sphere doubles, by what factor does the radiation change?

- | |
|---------|
| (1) 1/4 |
| (2) 1/2 |
| (3) 2 |
| (4) 4 |
| (5) 16 |

Answer: (5)

1H.L3.1-07

Description: Infographic quiz net radiation - label matching

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: Match each term in the equation with the correct description from the following list. (1) Emissivity, (2) Net heat, (3) Surface area, (4) Change in time, (5) Stefan-Boltzmann's constant, (6) Temperature of the object, (7) Temperature of the environment

The diagram shows the equation $\frac{Q_{net}}{\Delta t} = \epsilon \sigma A (T^4 - T_e^4)$. Labels (a) through (g) are placed around the equation with arrows pointing to specific terms: (a) points to Q_{net} , (b) points to ϵ , (c) points to T_e^4 , (d) points to Δt , (e) points to σ , (f) points to A , and (g) points to T^4 .

Answer: (a) Net heat, (b) Emissivity, (c) Temperature of the environment, (d) Change in time, (e) Stefan-Boltzmann's constant, (f) Surface area, (g) Temperature of the object

1H.L3.1-01

Description: xx

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: xx

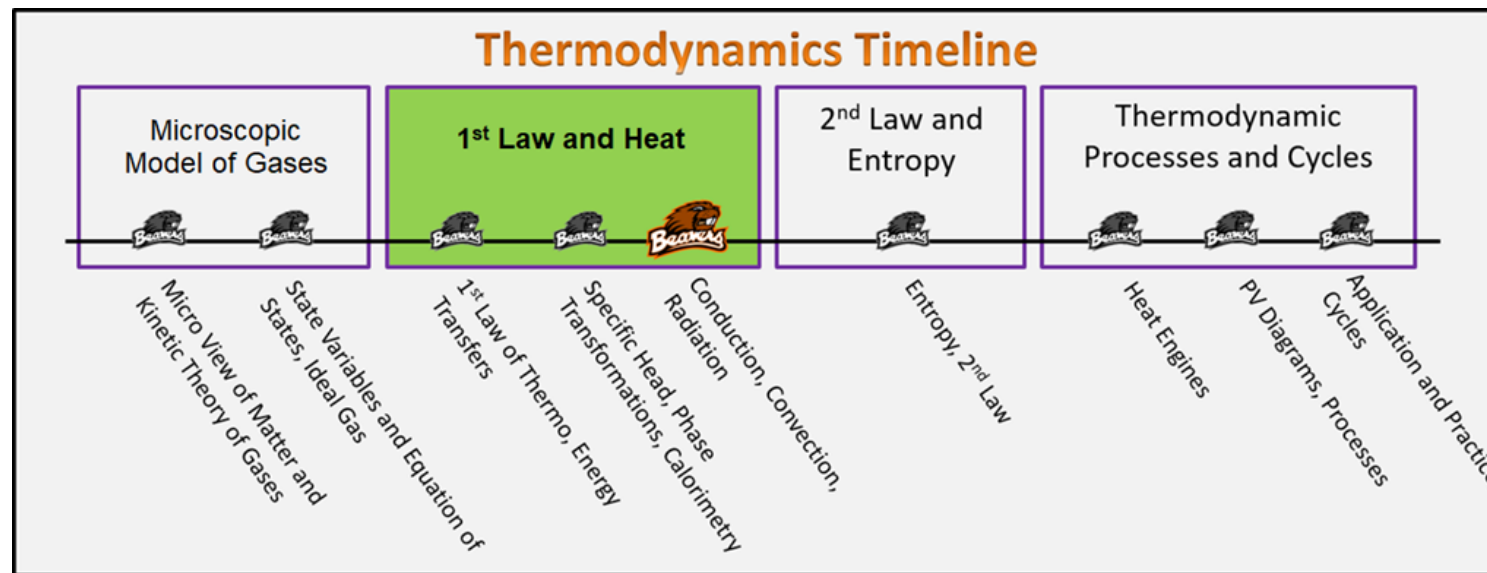
Answer: xx

(1H.L3.2.sols) Foundation Stage Solutions

Tuesday, January 29, 2019 10:01 AM

1st Law and Heat Foundation Stage (1H.L3.2)

Lecture 3 Conduction, Convection, Radiation



Textbook Chapters (* Calculus version)

- **BoxSand** :: KC videos ([Conduction, Convection, and Radiation](#))
- **Knight** (College Physics : A strategic approach 3rd) ::
- ***Knight** (Physics for Scientists and Engineers 4th) ::
- **Giancoli** (Physics Principles with Applications 7th) ::

Warm up

1H.L3.2-01:

Description: Conduction, convection, and radiation examples

Learning Objectives: [?] - Can you identify the objectives from the previous lecture, and this lecture, that this question is relevant to?

Problem Statement: Think of three situations, one for each of the methods of heat transfer where the method is the clearly dominant method of energy transfer. Think of a fourth situation where all three methods are present and it is not clear which is dominant.

Submit your answers to the word cloud on LC!

Selected Learning Objectives

1. Coming soon to a lecture template near you.

Key Terms

- Temperature
- Thermal energy
- Thermodynamic equilibrium
- Specific heat
- Solid, liquid, and gas phases
- Heat of transformation (vaporization, fusion)
- Melting point
- Boiling temperature

Key Equations

Questions

1H.L3.2-02:

Description: Match situations with energy transfer mechanisms. (2 minutes)

Learning Objectives: [?]

Problem Statement: Match each system with the energy transfer mechanism.

- | | | |
|-----|---|-----------------|
| III | (1) The transfer of energy from the Sun to the Earth. | (I) Conduction |
| II | (2) The Atlantic conveyer belt of ocean currents that mixes cold water from the north with warm water from the equator. | (II) Convection |
| I | (3) Underground liquid hot magma warming up your favorite hot spring. | (III) Radiation |
| IV | (4) During an earthquake, two tectonic plates slide, warming up adjacent rocks. | (IV) Work |

$$\Delta E^{Th} = W + Q$$

$\vec{F} \cdot \Delta \vec{r}$

CONDUCTION
 CONVECTION
 RADIATION

Handwritten annotations:
 RADIATION (above (1))
 CONVECTION (above (2))
 CONDUCTION (above (3))
 WORK (above (4))

Act I: Conduction

Conduction is the transfer of heat that occurs when two objects or substances come into physical contact. The microscopic model is as pictured below:

If one side of a solid (liquid) has a high temperature, those atoms will vibrate (move) more quickly. These hot atoms will interact via bonds with neighboring atoms giving some of their energy to them, causing them to vibrate (move) more rapidly. This is how energy is conducted through and between solids (and liquids). The rate at which heat is transferred via conduction depends on the length over which the heat travels, the cross-sectional area of the material, the temperature difference between the ends of the material, and on a parameter called the thermal conductivity. Different materials conduct heat more readily. Metals typically have higher thermal conductivities (they transfer heat very quickly), and materials like glass and ceramics have relatively low thermal conductivities (they do not transfer heat quickly).

The above picture shows an object and the temperature difference, length, cross-sectional area, and thermal conductivity, k . The greater the distance the heat must flow, the slower the rate at which energy will transfer. With a greater cross-sectional area, there will be more atoms in contact and energy will flow more rapidly. Likewise, a larger temperature difference will provide a steeper "hill" resulting in a faster rate of conduction. Mathematically, this looks like the following:

$$\frac{Q}{\Delta t} = \left(\frac{kA}{L} \right) \Delta T$$

A steady state can be reached if the hot and cold reservoirs are large enough that their temperatures are constant. If the cross sectional area and distance over which the heat flows is also constant, then the right hand side of the above equation will be constant. The amount

of heat transferred per time would then be a constant.

1H.L3.2-03:

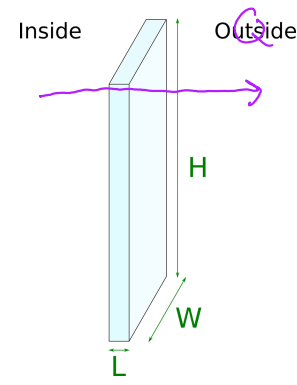
Description: Glass windows and conduction. (1 minute, 5 minutes, 3 minutes)

Learning Objectives: [?]

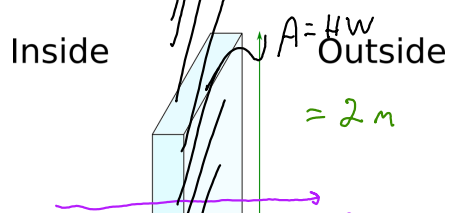
Problem Statement: In a cold Corvallis winter, the temperature outside your house is 0°C . The temperature inside is a comfortable room temperature of 20°C .
 $T_H = 20^\circ\text{C}$ $T_C = 0^\circ\text{C}$

(a) Which direction does energy conduct through the panes of your window?

- (1) The inside gains energy while the outside loses energy.
- (2) The outside gains energy while the inside loses energy.
- (3) There is no energy flow as an equilibrium has been reached.



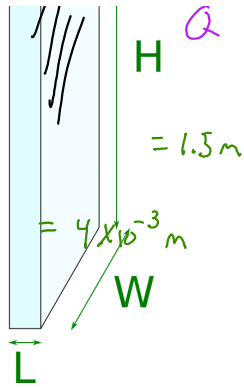
(b) The glass pane in a window has dimensions of 2.0 m by 1.5 m and is 4.0 mm thick. How much energy is lost in one hour? Ignore radiation effects and assume the glass has a thermal conductivity of $0.78 \text{ J}/(\text{m}\cdot\text{s}\cdot\text{K})$



Handwritten notes and formula:

$$Q = \frac{kAW}{L} (T_{\text{out}} - T_{\text{in}}) \Delta t$$

$\Delta t = 3600 \text{ sec} \approx 1 \text{ hr}$



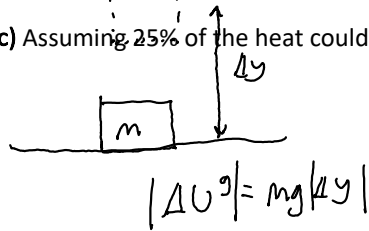
$$Q = \frac{(0.78)(2)(1.5)(0-20)(3600)}{(4 \times 10^{-3})}$$

$$Q = 4.21 \times 10^7 \text{ J}$$

EFFICIENCY

-

(c) Assuming 25% of the heat could be transferred into lifting a 1-kg-object upward, how high could that object be lifted in an hour?



0.25

$$e = \frac{Q_{ET}}{Q_{AT}}$$

$$e = \frac{|\Delta U^g|}{|Q|}$$

$$e = \frac{mg|\Delta y|}{\left(\frac{KHW\Delta T \Delta t}{L}\right)}$$

$$|\Delta y| = \frac{eKHW\Delta T \Delta t}{Lmg}$$

$$|\Delta y| \approx 1070000 \text{ m}$$

$$\text{OR } \approx 1070 \text{ km!}$$

* LARGE ENOUGH WE SHOULD NOT USE

NEAR EARTH $\Delta U^g = mg\Delta y$; INSTEAD USE

THE UNIVERSAL LAW OF GRAVITY ... ALSO ...

... WINDOWS "WASTE" A LOT OF ENERGY!

1H.L3.2-04:

Description: Energy transfer effects of thermal conductivity and specific heat. (2 minutes, 2 minutes, 1 minute)

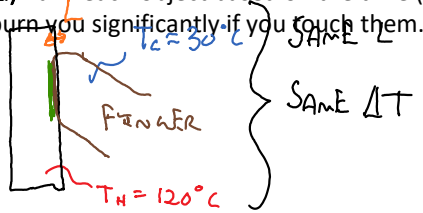
Learning Objectives: [?]

Problem Statement: An iron skillet, glass casserole dish, and silver ingot are all of equal mass and have been in an oven at 120 °C for a long time.

$k \rightarrow \text{TIME}$

SIDE VIEW

(a) Rank each object based on the time (smallest to largest) it will take to burn you significantly if you touch them.

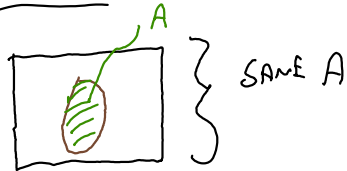


Material	c (J/(kg·K))	k (J/(m·s·K))
Iron Skillet	448	80
Glass Casserole Dish	837	0.8
Silver Ingot	235	420

$\frac{Q}{\Delta t} \propto k$

LARGER k MORE ENERGY / TIME ... I.E. BURN QUICKER

TOP VIEW



$\Delta t_{SILVER} < \Delta t_{IRON} < \Delta t_{GLASS}$

* HOT!

WE PERCEIVE ENERGY / TIME

WHEN WE TOUCH SOMETHING.

→ THERMAL CONDUCTIVITY DECREASES

TIME INDEPENDENT

+

$C \rightarrow$ NO TIME \therefore

$k \rightarrow$ TIME \therefore

(b) They are all put into separate equal baths of 10 °C water. Rank each object based on the final equilibrium temperature.

$$C = \frac{1}{m} \frac{\Delta E}{\Delta T}$$

w/ $m = \text{CONSTANT}$

$$C \propto \frac{\Delta E}{\Delta T}$$

Material	c (J/(kg·K))	k (J/(m·s·K))
----------	----------------	-----------------

Iron Ingot $c \dots$ MORE STORED ENERGY AVAILABLE
 Glass Casserole Dish \rightarrow 837 TO INCREASE TEMP OF WATER... 0.8
 Silver Ingot \dots SO... 235 420

$$\Delta T_{\text{SILVER}} < \Delta T_{\text{IRON}} < \Delta T_{\text{GLASS}}$$

$T_f - T_i$
 \uparrow ALL SAME T_i SO

$$T_{f \text{ SILVER}} < T_{f \text{ IRON}} < T_{f \text{ GLASS}}$$

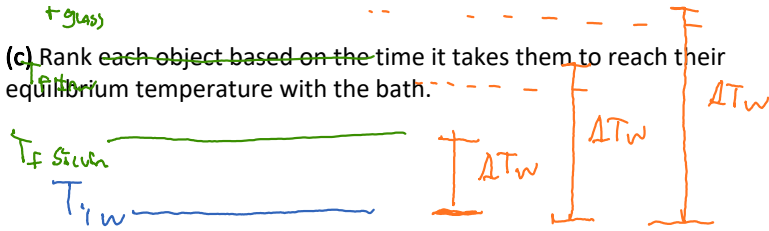
\rightarrow C INCREASES T_f

$$\Delta E = mc \Delta T$$

T_i _____

T_f _____

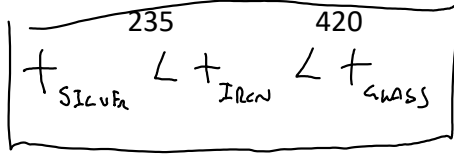
(c) Rank each object based on the time it takes them to reach their equilibrium temperature with the bath.



ΔE^{th} IS SMALLEST
 FOR SILVER BUT
RAVE IS LARGEST
 \uparrow
 k

ΔE^{th} IS LARGEST
 FOR GLASS BUT
RAVE IS SMALLEST
 \uparrow
 k

Material	c (J/(kg·K))	k (J/(m·s·K))
Iron Skillet	448	80
Glass Casserole Dish	837	0.8
Silver Ingot	235	420



Act II: Convection

Convection is heat transfer that happens when particles with large kinetic energies physically travel to a location where the average particle has lower kinetic energies. Often, this results in the displacement of the colder particles to the location where the hotter particles gained their energy. This results in cyclic "convection currents" between a hot

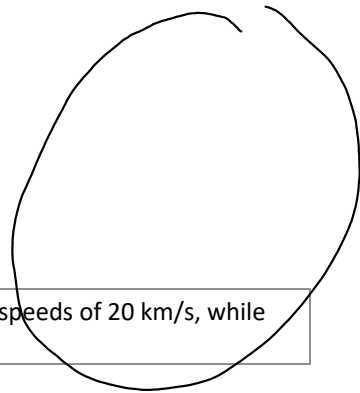
and a cold reservoir. Particles gain energy from the heat source, travel to the cold sink, lose their energy, and then get displaced back to the heat source where the process repeats.

The mathematical model is quite complicated, but is studied often in meteorology and oceanography as convection is very important in the description of weather patterns and ocean currents. Convection is the reason that Britain took over the world instead of getting really good at the Winter Olympics like the Scandinavians did!

1H.L3.2-05:

Description: (1 minute, 3 minutes)

Learning Objectives: [?] IS A MEASURE OF AVERAGE KE PER PARTICLE



Problem Statement: You have a box containing eight gas particles. The four particles on the left each have speeds of 20 km/s, while the particles on the right each have speeds of 100 km/s.

EXAMPLE

$$\overline{KE_L} = \frac{1}{2} m v_{rms}^2$$

(a) Which side has a larger temperature?

$$= \frac{1}{2} m (20000)^2$$

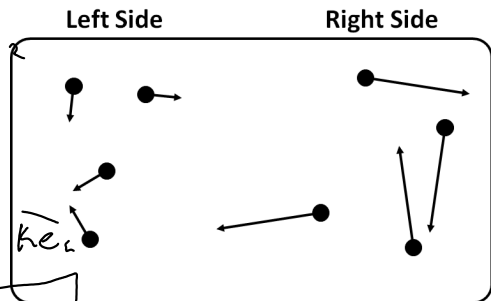
$$\overline{KE_R} = \frac{1}{2} m v_{rms}^2$$

$$= \frac{1}{2} m (100000)^2$$

SINCE $\overline{KE_R} > \overline{KE_L}$

THE

$$T_R > T_L$$



BEFORE SWAP

$$\bar{v} = \frac{100 + 100 + 100 + 100}{4}$$

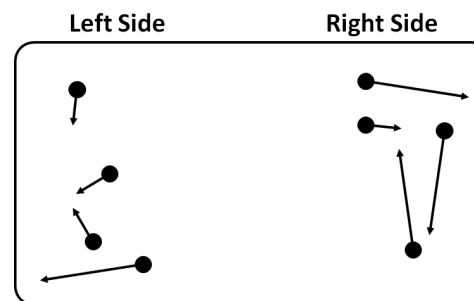
AFTER SWAP

$$\bar{v} = \frac{100 + 100 + 100 + 20}{4}$$

(b) You have a box containing eight gas particles. The four particles on the left each have speeds of 20 km/s, while the particles on the right each have speeds of 100 km/s. One particle on each side happens to have a momentum towards the other side. If this causes them to switch sides, what is the new average speed on the warm side?

$$\begin{aligned} \overline{K_{eR}} &= \frac{1}{2} m v_{rms}^2 \\ &= \frac{1}{2} m (100000)^2 \end{aligned}$$

$$\begin{aligned} \overline{K_{eL}} &= \frac{1}{2} m v_{rms}^2 \\ &= \frac{1}{2} m (80000)^2 \\ &\text{COLDER!} \end{aligned}$$



Act III: Radiation

Radiation is the form of energy transfer that occurs when electromagnetic waves are emitted by one object and absorbed by another. Electromagnetic radiation is more commonly called light! We see only a tiny portion of the electromagnetic spectrum. The human eye can see wavelengths of light between about 400 and 800 nm. Other common examples of light are: x-rays (0.01 to 1.0 nm wavelength), microwaves (your microwave oven uses 12.2 cm wavelength light which is easily absorbed by the water and fat in your food), infrared (wavelengths between 1 mm and 800 nm. Snakes, mosquitos, fish, frogs, military goggles, and your phone camera can all see these), and radio (> 1 meter, which is why they can travel through and around large objects easily).

All objects that are above 0 K (which is everything! You even!) emit light. You, and most things on earth are roughly the same temperature and emit light in the infrared wavelengths.

An object's temperature, surface area, and emissivity are important when determining the rate at which it radiates energy away. The higher an objects temperature and the more surface area it has, the larger the rate of energy transfer. Emissivity is a measure of how readily an object radiates light and is a number between 0 and 1. It is actually a ratio of its emissivity relative to that of an ideal black object (black body if you are an astronomer) at the same temperature. The following equation relates these quantities.

$$\frac{Q_{out}}{\Delta t} = e\sigma AT^4$$

The Stefan-Boltzmann constant is represented by a σ , and has a value of $5.67 \times 10^{-8} \text{ W}/(\text{m}^2 \text{ K}^4)$. The emissivity is given the symbol e , and A is the surface area. The temperature, T , must be given in Kelvin.

Since an object interacts with its environment, which also has a temperature, the net radiative energy transfer must include a term for the radiation the object is absorbing from the environment. If T is the temperature of the object and T_0 is the temperature of the surrounding environment, then the net transfer of energy is given by:

$$\frac{\sum Q}{\Delta t} = -e\sigma AT^4 + e\sigma AT_0^4 = e\sigma A (T_0^4 - T^4)$$

Note that the signs in the above equation indicate that energy absorbed by the object from the environment is positive, and energy leaving the object is negative heat. This is an indication that we have chosen our object as the system.

EXAMPLE

1H.L3.2-06:

Description: (1 minute)

Learning Objectives: [?]

$^{\circ}\text{C}$

T_f

1°C

T_i

0°C

$T_f - T_i$

1°C

$T_f^4 - T_i^4$

~~1°C^4~~

DON'T USE $^{\circ}\text{C}$
FOR RADIATION

Problem Statement: ΔT is the same in both Celsius and Kelvin temperature scales. $T_f^4 - T_i^4$ is also the same in both scales. 8.933933 K^4

CORRECT!

- (1) True
- (2) False

1H.L3.2-07:

Description: (4 minutes ~~4 minutes~~) + Q_r

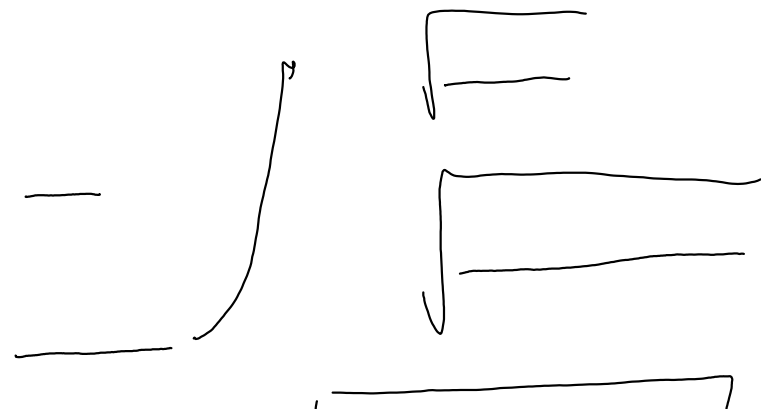
Learning Objectives: [?]

60 s in 1 min

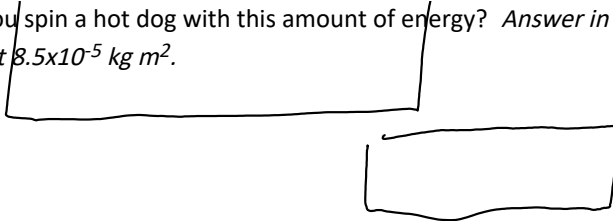
EG

Problem Statement: An aluminum cup is filled with hot coffee and a lid is placed on the cup. The coffee-cup system quickly reaches a common temperature of 368 K. The cup is sitting in a local coffee shop with an air temperature of 293 K. The cup's emissivity is 0.09 and it has a cross sectional area of 0.045 m².

(a) How much heat is transferred into the environment via radiation in one minute? Assume the temperature of the room and coffee do not change significantly within this one minute time interval.



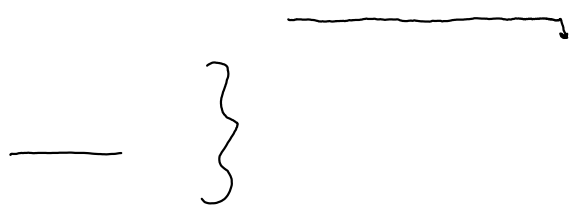
(b) Assuming a contraption of 50% efficiency, how fast could you spin a hot dog with this amount of energy? Answer in rad/sec. The moment of inertia of a hotdog about its center of mass is about $8.5 \times 10^{-5} \text{ kg m}^2$.



1H.L3.2-08:

Description: (3 minutes)

Learning Objectives: [?]



Problem Statement: The sun continuously radiates energy into space, some of which is intercepted by the earth. The average temperature of the earth remains about 300 K. Why doesn't the earth's temperature rise as it intercepts the sun's energy? Ignore any current global climate change effects.

(1) The earth reflects all the sun's light.

- (2) The earth radiates an amount of energy into space equal to the amount it receives.
- (3) The energy only raises the temperature of the upper atmosphere and never reaches the surface.
- (4) The thermal conductivity of the earth is low.
- (5) The heat is carried away from the earth by convection currents.
- (6) The earth conducts the incident heat away into space.



1H.L3.2-09:

Description: (1 minute, 1 minute, 1 minute)

Learning Objectives: [?]

Problem Statement: Which heat mechanism is most prevalent in the following phases?

(a) Solids?

- (1) Conduction
- (2) Convection
- (3) Radiation

(a) gas?

- (1) Conduction
- (2) Convection
- (3) Radiation

(c) Select all the heat transfer mechanisms that occur in an ideal gas (*regardless of how large in effect they are*).

- (1) Conduction
- (2) Convection
- (3) Radiation

1H.L3.2-10:

Description: (3 minute, 2 minute)

Learning Objectives: [?]

Problem Statement: Finish the following statements with *one, two, or all three* of the following terms: *conduction, convection, radiation*.

(a) The space between the inner walls of a thermos bottle is evacuated to minimize heat transfer due to

(b) The interior of a thermos bottle is silvered (made reflective) to minimize heat transfer due to

Conceptual questions for discussion

1. .

Hints

1H.L3.2-01: No hints.

1H.L3.2-02: No hints.

1H.L3.2-03: No hints.

1H.L3.2-04: No hints.

1H.L3.2-05: No hints.

1H.L3.2-06: No hints.

1H.L3.2-07: No hints.

1H.L3.2-08: No hints.

1H.L3.2-09: No hints.

1H.L3.2-10: No hints.

(1H.L3.3) Practice Stage

Thursday, March 29, 2018 8:34 PM

1st Law and Heat (1H)

Practice Stage:

Post-lecture 3: Conduction, Convection, Radiation

Reading

1. none

Lecture Videos

1. none

Example Problems

1. none

Simulations

1. none

Other Suggested Content

1. none

Practice

1. none

Homework

1H.L3.3-01a

Description: Calculate energy loss per time via conduction.

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: Suppose a brick wall of a house is 4.00 inches thick and that the thermal conductivity of the brick is about $0.84 \text{ W/m}\cdot\text{K}$. What is the rate of energy loss via conduction through this wall if the area is 240 ft^2 and there is a 12F° difference between the inside and outside?

- (1) 1230 W
- (2) 13200 W
- (3) 336 W
- (4) 4030 W

Answer: (1)

1H.L3.3-01b

Description: Unit conversion.

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: How many joules of energy are lost through the brick wall during 1 hour?

- (1) 1230 J
- (2) 13200 J
- (3) $4.43 \times 10^6 \text{ J}$
- (4) 73800 J

Answer: (3)

1H.L3.3-01c

Description: Unit conversion.

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: Assume a heater pumps the same amount of energy lost via conduction in the opposite direction that the energy is being transferred via conduction, i.e. the heater pumps energy from the cold side to the hot side of the wall. If the heater is 30% efficient, how much energy does the heater actually use in one hour?

- (1) 4.43×10^6 J
- (2) 1.48×10^7 J
- (3) 1.33×10^6 J
- (4) 1230 J

Answer: (2)

1H.L3.3-01d

Description: Unit conversion.

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: How much does it cost to operate this heater for one hour under the conditions of the brick wall and temperature difference originally given? Typical energy cost is 15 cents per kW·hr.

- (1) about 61.5 cents
- (2) about 5.5 cents
- (3) about half a cent
- (4) about 30 cents

Answer: (1)

1H.L3.3-02

Description: Conceptual question about convection.

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: Which of the following scenarios is energy transfer via convection the most prominent form of heat?

- (1) You feel your skin start to warm up when stepping from out under the shade into the sunlight.
- (2) Your feet feel cold as you get out of bed and step barefoot onto hardwood floor.
- (3) A cold air mass moving west meets a warm air mass region; the cold air mass wedges itself under the warm air mass causing the warm air mass to rise upwards.

Answer: (3)

1H.L3.3-03

Description: Calculation problem with net radiation.

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: If a warm spring day reaches a peak temperature of 25 °C, what is the net rate of energy transfer via radiation from the environment to a 15 °C freshwater pond with a surface area of 20 m²? The emissivity of water is about 0.95 .

- (1) 1085 J/s
- (2) 0.366 J/s
- (3) 0.01077 J/s
- (4) -1085 J/s

Answer: (1)

1H.L3.3-04a

Description: Unit conversion.

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: Power, **P**, is defined as energy per time. Thus the SI units of power are J/s. This SI unit of power, J/s, is often called a watt, W. So 1 W = 1 J/s. Intensity, **I**, is defined as power per area. What are the SI units of intensity?

- (1) J/s
- (2) J
- (3) (J/s) · m²
- (4) J/(s·m²)

Answer: (4)

1H.L3.3-04b

Description: Unit conversion.

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: The average intensity at the surface of earth from the sun is about 1000 W/m^2 . The amount of energy per time transferred from the sun via radiation on an object with surface area **A** and emissivity **e** is approximately...?

- (1) $Q/\Delta t = e I A$
- (2) $Q/\Delta t = I A$
- (3) $Q/\Delta t = e (I/A)$
- (4) $Q/\Delta t = (I/A)$

Answer: (1)

1H.L3.3-04c

Description: Radiation from sun calculation.

Learning Objectives: [x,xx,...] Put the learning objective numbers here

Problem Statement: How much energy per time does the sun transfer via radiation to a gray car with a top surface area of about 2.00 m^2 and emissivity of about 0.75 ?

- (1) 2000 W
- (2) 1500 W
- (3) 500 W
- (4) 375 W

Answer: (2)